



Given: Whittier Barge Slip #2 Modification. This option utilizes 2(ea) 15" bore x 209" stroke hydraulic lifting cylinders with 12" OD, 8" ID rods. Each cylinder is supplied by its own reservoir.

Find: Calculate the minimum Hydraulic Reservoir capacity required to support each system. Calculate Horsepower necessary to extend cylinder.

Solution:

Calculation variables

Lift Cylinder Bore (d_{cyl}):	$d_{cyl} := 15\text{in}$	
Lift Cylinder Rod Diameter (od_{rod}):	$od_{rod} := 12\text{in}$	
Lift Cylinder Rod Inside Diameter (id_{rod}):	$id_{rod} := 8\text{in}$	
Lift Cylinder Stroke (l_{cyl}):	$l_{cyl} := 209\text{in}$	
Working Pressure of system (P_w):	$P_w := 1500\text{psi}$	
Length of supply lines (l_{pipe}):	$l_{pipe} := 600\text{ft}$	
Pump Flow (Q_p):	$Q_p := 92.8 \frac{\text{gal}}{\text{min}}$	Note: Bucher QX82-200 pump
Pump efficiency (η):	$\eta := 95\%$	
Maximum fluid velocity (V_{fluid}):	$V_{fluid} := 16 \frac{\text{ft}}{\text{sec}}$	

Calculate minimum supply line diameter (d_{pipe}):

$$d_{pipe} := \sqrt{\frac{4}{\pi} \cdot \frac{Q_p}{V_{fluid}}}$$

$d_{pipe} = 1.539 \text{ in}$

Note: use $d_{pipe} := 1.625\text{in}$

Calculate total volume of oil in each system when retracted (V_{ret}):

$$V_{ret} := \frac{\pi}{4} \cdot \left[\left(d_{cyl}^2 - od_{rod}^2 + id_{rod}^2 \right) \cdot l_{cyl} + d_{pipe}^2 \cdot l_{pipe} \right]$$

$V_{ret} = 168 \text{ gal}$

Calculate total volume of oil in each system when extended (V_{ext}):

$$V_{ext} := \frac{\pi}{4} \cdot \left[\left(d_{cyl}^2 + id_{rod}^2 \right) \cdot l_{cyl} + d_{pipe}^2 \cdot l_{pipe} \right]$$

$V_{ext} = 270 \text{ gal}$

Calculate reservoir capacity needed to supply each cylinder (V_{res}):

$$V_{res} := \max \left[\left(V_{ext} - V_{ret} \right) \cdot 1.5, 2 \text{min} \cdot Q_p \right]$$

$V_{res} = 186 \text{ gal}$

Initial system fill requirement (V_{init}):

$$V_{init} := V_{ret} + V_{res}$$

$V_{init} = 353 \text{ gal}$

Conclusion: Use 250 gallon reservoirs and supply with 375 gallons of fluid ea.

Calculate Power needed to extend cylinder (HP_{req}):

$$HP_{req} := \frac{Q_p \cdot P_w}{\eta}$$

$HP_{req} = 85 \text{ hp}$